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- Which of the following statements is not correct?
 - (A) The family F consisting of all finite subsets of Ω and their complements always is a σ-field.
 - (B) The family F consisting of all countable subsets of Ω and their complements always is a σ-field.
 - (C) If F_1 and F_2 are σ -fields on Ω , then $F_1 \cap F_2$ is also a σ -field.
 - (D) If F is a σ -field on Ω and $A \subset \Omega$, then $G = \{A \cap B : B \in F\}$ is a σ -field on A.
- Which of the following is a sufficient condition for the real valued function f to be Riemann integrable with respect to α on [a, b]?
 - (A) f is continuous on [a, b]
 - (B) f is of bounded variation on [a, b]
 - (C) f is of bounded variation on [a, b] and α is continuous on [a, b]
 - (D) α is of bounded variation on [a, b]
- Which of the following sequences {f_n} is not uniformly convergent on [0, 1]?
 - $(A) \quad f_n(x) = \frac{x}{1 + nx^2}$

(B) $f_n(x) = \frac{\log(1+n^3x^2)}{n^2}$

(C) $f_n(x) = x - \frac{x^n}{n}$

- (D) $f_n(x) = nx(1-x^2)^n$
- 4. Let A be a set of rational numbers in [0, 10]. Then the Lebesgue measure of A is:
 - (A) 10
- (B) 0
- (C) ∞
- (D) None of these
- 5. If [x] denotes the greatest integer function, then the value of the Riemann-Stieltjes integral \int_0^2[x] d(x^2) is:
 - (A) 3
- (B) 8/3
- (C) 16/3
- (D) 9
- The following vectors (1, 9, 9, 8), (2, 0, 0, 8), (2, 0, 0, 3) are:
 - (A) Linearly dependent
- (B) Linearly independent

(C) Identical vectors

- (D) None of these
- 7. The matrix $\begin{bmatrix} 0 & i \\ -i & 0 \end{bmatrix}$ is a:
 - (A) Hermitian matrix

(B) Skew Hermitian matrix

- (C) Symmetric matrix
- (D) Skew symmetric matrix
- 8. If A is a 6×6 matrix of rank 4 then its nullity is:
 - (A) 2
- (B) 4
- (C) 6
- (D) 10

- What type of definiteness does the quadratic form $x^2 + 2y^2 + 3z^2 + 2yz 2xz + 2xy$ possess? 9. (A) Positive definite Negative definite Positive semi - definite (D) Indefinite Identify the incorrect statement of the following:
 - If A is $m \times n$ matrix of any rank with its g-inverse A*, then AA*A=A
 - (B) The g - inverse A* exists and rank (A*) ≥ rank (A)
 - If A* is a g inverse then A*A or AA* is idempotent
 - The Moore Penrose g inverse is not unique
- Which of the following doesn't hold true always? 11.

(A)
$$P\left(\bigcap_{i=1}^{n} A_i\right) \ge 1 - \sum_{i=1}^{n} P(A_i^c)$$

(B)
$$P(\bigcap_{i=1}^{n} A_i) \ge -(n-1) + \sum_{i=1}^{n} P(A_i)$$

(C)
$$P(A \cap B \cap C) = P(A)P(B/A)P(C/A \cap B)$$

(D)
$$P(\bigcup_{i=1}^{n} A_i) \le 1 - \sum_{i=1}^{n} P(A_i^c)$$

- If X > 0 a.s., then which of the following inequalities is wrong? 12.
 - (A) $E(X^2) \ge (E(X))^2$

- (B) $E\left(\frac{1}{X}\right) \ge \frac{1}{E(X)}$
- (C) $E(X^{1/2}) \ge (E(X))^{1/2}$
- (D) $E(\log(X)) \leq \log(E(X))$
- If X is a uniform [0, 1] random variable, then which of the following is a lower bound for 13. $P\left\{\left|X-\frac{1}{2}\right|\leq\frac{1}{4}\right\}?$

 - (A) 8/9
- (B) 2/3
- (C) 2/9
- (D) 1/9

- 14. Choose the correct statement :
 - (A) $X_n \xrightarrow{L} X \rightarrow X_n \xrightarrow{P} X$
 - (B) $X_n \xrightarrow{a.s} X \rightarrow X_n \xrightarrow{p} X$
 - (C) $X_n \xrightarrow{L} X$, $Y_n \xrightarrow{p} c \rightarrow X_n + Y_n \xrightarrow{p} X + c$
 - (D) $X \xrightarrow{p} X \rightarrow X \xrightarrow{m.s.} X$
- Let $\{X_n\}$ be a sequence of random variables with

$$P(X_n = n) = \frac{1}{n^r}, \ P(X_n = 0) = 1 - \frac{1}{n^r}, \ r > 0$$
. Then,

(A) $X_n \xrightarrow{P} 0$

- (B) $X_n \to 0$ in r^{th} mean
- (C) X_n converges to 1 in probability (D) None of these

If X is a non - negative random variable with distribution function F, then which of the following represents E(X)?

(A)
$$\int_0^\infty x F(x) dx$$

(B)
$$\int_0^\infty x \left(1 - F(x)\right) dx$$

(C)
$$\int_0^\infty F(x)dx$$

(D)
$$\int_0^\infty (1 - F(x)) dx$$

The probability that a contractor will get a plumbing contract is 2/3 and the probability that he will not get an electric contract is 5/9. If the probability of getting at least one contract is 4/5, what is the probability that he will get both contracts?

Let $\{X_n\}$ be a sequence of i.i.d. random variable with $E(X_n^2) < \infty$. $S_n = \sum_{k=1}^n X_k$, $\sigma^2 = Var(X_n) > 0$ and $Z \sim N(0, 1)$. Then,

(A)
$$\frac{S_n - E(S_n) d}{n\sigma} \to Z$$

(B)
$$\frac{S_n - E(S_n) d}{n\sigma^2} \to Z$$

$$(C) \quad \frac{S_n - E(S_n) \, d}{\sqrt{n} \sigma^2} \, \to \, Z$$

(D)
$$\frac{S_n - E(S_n) d}{\sqrt{n}\sigma} \to Z$$

- 19. Which type of convergence is used in central limit theorem?
 - (A) Convergence in probability
- (B) Convergence in rth mean
- (C) Convergence in Law
- (D) None of these
- Which of the following is not a characteristic function? 20.

(A)
$$e^{-\frac{t^2}{2}}$$

(B)
$$\frac{2}{1 + \cos t}$$

(A)
$$-\frac{t^2}{2}$$
 (B) $\frac{2}{1+\cos t}$ (C) $e^{-|t|}$ (D) $(1-2it)^{-\frac{1}{2}}$

If $P_x(s)$ denote the p.g.f of the random variable X, then the p.g.f of Y = mX + n, where 21. m, n are integers (m ≠ 0) is given by :

(A)
$$s^n P_x(s^m)$$

(B)
$$sP_{v}(s^{m})$$

(C)
$$sP_x(s)$$

(C)
$$sP_x(s)$$
 (D) $s^mP_x(s^n)$

Let X and Y be independent standard normal random variables. Then the distribution of

$$Z = \left(\frac{X - Y}{X + Y}\right)^2$$
 is:

- (A) Chi square distribution with 2 d.f
- (B) Chi square distribution with 1 d.f
- (C) F distribution with (2, 2) d.f
- (D) F distribution with (1, 1) d.f

23.	The distribution function $(x_1, y_1), (x_2, y_2), x_1 < x_2, y_1$	on F of a tv $< v_2$ satisfie	wo - dimer s :	nsional randor	n varia	ble satisfies, fo
	(A) $F(x_2, y_2) - F(x_2, y_1)$			≥ 0		
	(B) $F(x_1, y_1) - F(x_2, y_2)$		A 40 441			
	(C) $F(x_2, y_1) + F(x_1, y_2)$	44				
	(D) $F(x_1, y_1) + F(x_2, y_1)$	7 5 4	6 6 6			
	(2) 1(31) 1 1(32) 31)	1 (42, 92)	1 (41, 92)	> 0		
24.	If ρ_{XY} is the correlation bet (a, b, c, d > 0) is :	ween X and	Y, then corre	elation between	U=a+c	eX and $V = b - dY$
	(A) ρ _{XY} (B)	$-\rho_{XY}^{}$	(C)	$\frac{cd}{ab} \rho_{XY}$	(D)	$\frac{ab}{cd}\rho_{XY}$
25.	In a partially destroyed lab	oratory recor	d of an anal	veis of correlation	n data	only the following
	regression equations are le	gible :	a or an ana	y 313 OI COITEIANC	ni data, t	only the following
	8x - 10y + 66 = 0					
	40x - 18y - 214 = 0					
	Then the mean value of Y	is:				
	(A) 13 (B)	17	(C)	18	(D)	66
26.	If $X \sim Poisson (\lambda_1)$, $Y \sim P$ distribution of X given $X +$	oisson(λ ₂) an Y is :	nd X and Y	are independe	ent, ther	the conditional
	(A) Binomial		(B) Poiss	on		
	(C) Negative binomial		(D) None	of these		
27.	If X and Y are random variatespectively, then E[F(Y)+	ables with dis $2g(X)$ is:	stribution fu	unctions $F(x) = 1$	−e ^{−x} ar	and $G(y) = 1 - e^{-2y}$
	(A) 0 (B)	1000	(C)	3/2	(D)	00
28.	The distribution of $X_{(n)} = N$	Max.(X ₁ , X ₂ ,	X_n), wher	e X ₁ , X ₂ ,X _n	are i.i.d.	β (α, 1) is:
	(A) $\beta(\alpha n, 1)$ (B)	β(α, 1)	(C)	β(α, n)	(D)	β(αn, n)
29.	If X follows Pareto distribu	tion, then the	distributio	n of $Y = \frac{1}{X}$ is		

If the moment generating function of X is $M(t) = \frac{2}{5}e^t + \frac{1}{5}e^{2t} + \frac{2}{5}e^{3t}$, then its mean and variance are respectively:

(A) 2 and 0.5

(A) Cauchy

(B) 1 and 0.8

(B) Pareto

(C) 2 and 0.8 (D) 1 and 0.5

(C) Uniform (D) Weibull

- 31. Which of the following statements is not correct?
 - (A) If a sample of size n is drawn from a population of size N in such a way that every possible sample of size 'n' has the same chance of being selected, the sample thus obtained is a simple random sample
 - (B) Simple random sample doesn't attempt to reduce the effect of data variation on the error of estimation
 - (C) A stratified random sample is one obtained by separating the population elements into non-overlapping groups and then selecting a simple random sample from each group
 - (D) Stratified random sample always produces an estimator with a smaller variance than that of the corresponding estimator in simple random sampling
- 32. With regard to ratio estimation based on the response variable y and subsidiary variable x, identify the correct statement of the following:
 - (A) The use of ratio estimator is most effective when the relationship between y and x is linear through the origin and Var(y) is proportional to x
 - (B) The correlation ρ between y and x does not affect the precision of the ratio estimator
 - (C) Ratio estimators are always unbiased
 - (D) The ratio estimation is usually superior to regression in estimation if the relationship between the y's and x's is a straight line not through the origin
- 33. A sociologist wants to estimate the average income per adult male in a certain small city where no list of resident adult is available. What would be the logical choice of the survey design in this case?
 - (A) Simple random sampling
- (B) Systematic sampling
- (C) Stratified sampling
- (D) Cluster sampling
- 34. Which of the following statements is not correct?
 - (A) Systematic sampling is easier to perform and is less subject to interviewers errors than simple random sampling
 - (B) Systematic sampling often provides more information per unit cost than simple random sampling
 - (C) When the population size (N) is large and the correlation coefficient (ρ) between pairs of elements within the systematic sampling is closer to one, then the systematic sampling may be better than simple random sampling
 - (D) A systematic sampling is preferable when the population of interest is ordered and population size is large
- 35. A national survey of University student opinions is conducted by selecting a simple random sample of universities from all those in the country and then selecting a simple random sample of students from each university. What sort of sample survey design is used here?
 - (A) Stratified random sampling
- (B) A two stage cluster sampling
- (C) Cluster sampling

- (D) None of these
- 36. In a BIBD, four treatments are arranged in four blocks of three plots each. Each treatment occurs once and only once in three blocks and any two treatments occur together in λ blocks. Then the value of λ is :
 - (A) 1
- (B) 2
- (C) 3
- (D) 4

			$3y_3$ is the $4y_3$ is an 4				-4θ ₃					
39.	is es	stimate	OVA for a	or degre	es of free	ocks an dom is		eatments h	aving o			lue which
	(A)	14		(B)	15		(C)	23		(D)	24	
40.	For (v, b	which	of the follow) exist?	owing se	t of value	s will a	Baland	ced Incomp	olete Blo	ck De	sign of p	arameters
	(A)	v = 1	1, b = 22,	r=6, k= =4, k=	$=3, \lambda = 1$ 21, $\lambda = 4$	(B) (D)	v = 7 $v = 7$	7, b=7, r= 7, b=6, r=	4, k=4, 3, k=3,	$\lambda = 2$ $\lambda = 1$		
41.	with follo (A) (B) (C)	an F an F a t di a t di	c for test in means distribution stribution stribution distribution di	on with with (n with (n	on two if $(m-1, n)$ $(n+n) ext{ d.f.}$ $(n+n-2)$	indeper – 1) d.f d.f.	ndent	tween vari samples (ance of to	two no m ar	ormal po nd <i>n</i> res	opulations spectively
42.	If X_1 σ^2 w	, X ₂ , then μ	X _n is	a rando	om sampl	e from	a nor	mal distrib	ution N	(μ, σ ²) then th	ne MLE of
	(A)	Unbia	sed and stent but	consiste		(B) (D)		ased but r				
43.								a popula		ith d	lensity	function
	(A)	Max	$(X_1, X_2, X_1, X_2, X_1, X_2,$	X _n)		(B)	Mean of A Median o	X1, X2,	,	<i>X</i> _n <i>X</i> _n	
44.		st with α ≥ β			$\alpha \leq 1 - \beta$			α ≤ β		(D)	α ≥ 1−	β
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Under a 24-factorial design, what interaction is confounded with the following blocks?

acd abd abc bcd

Where y_i are observations, θ_i are parameters and ϵ_i are uncorrelated random variables with mean zero and constant variance for i = 1, 2, 3. Then which of the following is true?

bc

(C)

bd

abcd

ABC

(D) ABCD

37.

38.

Block 1:

Block 2:

(A) AB

(1) ad

Consider the linear model:

 $y_1 = \theta_1 + 2\theta_2 - 2\theta_3 + \epsilon_1$ $y_2 = \theta_1 + 3\theta_2 - \theta_3 + \epsilon_2$ $y_3 = \theta_2 + \theta_3 + \epsilon_3$

d

ac

C

(B)

(A) $2y_1 - y_2 - y_3$ is an unbiased estimator of $\theta_1 - 4\theta_3$

 $2y_1 - y_2 - y_3$ is the BLUE of $\theta_1 - 4\theta_3$

ab

b

AC

cd

- 45. If X_1 , X_2 ,, X_n be a random sample from N (θ, θ^2) then which of the following is true:
 - (A) ΣX , is sufficient for θ
 - (B) ΣX_i^2 is sufficient for θ
 - (C) $(\Sigma X_i, \Sigma X_i^2)$ is jointly sufficient for θ
 - (D) $(\Sigma X_i, \Sigma (X_i \overline{X})^2)$ is jointly sufficient for θ
- For an SPRT with strength (α, β) the boundary points A and B satisfy : 46.

 - (A) $A \le \frac{\beta}{1-\alpha}$, $B \ge \frac{1-\beta}{\alpha}$ (B) $A \le \frac{1-\beta}{\alpha}$, $B \ge \frac{\beta}{1-\alpha}$
 - (C) $A \le \frac{\alpha}{1-\beta}, B \ge \frac{\beta}{1-\alpha}$
- (D) None of these
- Based on a single observation X from a normal population with mean μ and variance unity 47. the UMP critical region of size α for test the hypothesis $H_0: \mu \ge 2$ against $H_1: \mu \le 2$ when z_{α} is the α^{th} quantile of a standard normal distribution is :
 - (A) $X < z_{\alpha} 2$
- (B) $X > z_{\alpha} 2$
- (C) $X < z_{\alpha} + 2$
- (D) $X > z_0 + 2$
- Based on a random sample of size n from B (1, p), the UMVUE of p(1-p) is : 48.
 - (A) $\frac{\sum X_i (n \sum X_i)}{n 1}$

(B) $\frac{\sum X_i (\sum X_i - n)}{n - 1}$

(C) $\frac{\sum X_i (n - \sum X_i)}{n (n - 1)}$

- (D) $\frac{\sum X_i (\sum X_i n)}{n (n-1)}$
- Let T be an ancilliary statistic for the parameter θ . Then T and S are independent if : 49.
 - (A) S is complete sufficient for 0
- S is unbiased for 0
- (C) S is sufficient for θ
- (D) S is consistent for θ
- If W is the Wilcoxon rank sum statistic and U is the Mann Whiteny U statistic, then: 50.
 - (A) $U = W + \frac{n(n+1)}{2}$
- (B) $U = W \frac{n(n+1)}{2}$
- (C) $W = U + \frac{n(n+1)}{2}$
- (D) None of these
- If X follows N_p (0, Σ) then X'AX follows chi-square distribution with r d.f if and only if : 51.
 - (A) AΣ is of rank r

- (B) A is of rank r
- (C) AΣ is idempotend of rank r
- (D) A is idempotend of rank r

[P.T.O.]

52.	. Le	et R	be the sa	mple c	orrela	ation coe	efficient	of a l	bivariat	e sample	of size	n from a	a bivaraite
	no	rma	ıl populat	ion wit	h cor	relation o	coefficie	ent p.	If $\rho = 0$	then the	statistic	$R\sqrt{\frac{n-1}{1-k}}$	2 follows
	a (A	:											
	(0	j i	distribut distribu	ion wi	th (1,	n) d.f.	(B) (D)) Fd	stributi istribut	ion with ion with	(n – 2) (1, n –	d.f. 1) d.f.	
53.	Th (A) (stribution Chi - squa	re dist	ributi	on	tistic fo		: stributi	on			
	(C) 1	Wishart d	istribut	ion		(D)		istributi				
54.	Le	t X ₁	. X ₂ ,	. X _n (n	> P)	be iid ra	andom	vector	s from	Νρ (θ, Σ). Ther	the distr	ibution of
	S	$=\frac{1}{n}$	$\Sigma(X_i - \overline{X})$) (X _i -	Χ)′,	Where 3	$ \overline{\zeta} = \frac{1}{n} $	Σx_1 is:					
	(A) V	V _p (Σ, n-	1)	(B)	$W_P\left(\frac{\Sigma}{n}\right.$, n	(C)	W _p	$\left(\frac{\Sigma}{n}, n-1\right)$	(D)	W _P (Σ,	n)
													25 E
55.	If (X_1	X ₂)' follow	vs a biv	rarait	e norma	l distrib	oution	with di	ispersion	matrix	$\begin{pmatrix} 1 & 1 \\ 1/2 & \end{pmatrix}$	1 then
	the	dis	persion m	atrix of	$f(X_1)$	$+ X_2, X_1$	- X ₂)' is	s :					-)
	(A)		$\begin{pmatrix} 3 & 0 \\ 0 & 2 \end{pmatrix}$	(В)	$\begin{pmatrix} 3 & 1 \\ 1/2 & \end{pmatrix}$	$\binom{1/2}{1}$	(C)	$\begin{pmatrix} 3 & 0 \\ 0 & 1 \end{pmatrix}$)	(D)	$\begin{pmatrix} 3 & 2 \\ 2 & 1 \end{pmatrix}$	
56.	If (1	N _t t	€ T} is a l	Poissor	prod	cess with	rate λ	then v	which o	of the foll	owing	is/are cor	rect ·
	(b)	P	N. Lh - N	, = 1) =	λt+	O(h)							
	(c)	N	t is a stati	onary i	incre	ment pro	ocess	(C)	a and	С	(TDV		
57.				10								b and c $(X_1) = m,$	
	prol (A)			armer P	ALLE IL	tion is 1 m > 2	11.4						then the
58.				- 2	70							m ≤ 1	
232	100 5 100		we are a worker	COT ALLEMAN A	O/ CILL	ulue.				ne randor	n vecto	or $X = (X_1,$	X_2, X_3).
	(a) (b)	V($(Y_1) + V(Y_1) \ge V(Y_1)$ $(Y_1) \ge V(Y_2)$ $(Y_2) = V(Y_1)$	$2) + V(2) \ge V(2)$	$(Y_3) = (Y_3)^2$	$V(X_1)$ +	$V(X_2) +$	$V(X_3)$					
	(c) (A)	$\frac{Y_1}{(a)}$, Y ₂ and 'and 'and (c)	Y ₃ are 1 (E	uncoi	related b) and (-)	(C)	(a) and	(%)	(D)	(a), (b) ar	1.75
59.			f the follo						(a) and	(0)	(D)	(a), (b) ar	id (c)
	(a) (b)	Th	e state sp	ace of	a fini	te Marko	ov chair	n cont	ain atle	ast one r	ecurrer	nt state	
	(c)	4	a finite in	rent ap	erod	ic state c	of a Man	rkov c	hain is	called or	andia		
	(A)	(a)	and (b)	(B) (a	a) and (c)	(C)	(b) and	(c)	(D)	(a), (b) an	d (c)
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60.	Let X be a random variable which follows a Poisson distribution with parameter λ and the prior distribution of λ follows $G(\alpha, \beta)$ then the posterior distribution is : (A) $G(\alpha+1, \beta+x)$ (B) $G(\alpha+x, \beta)$ (C) $G(\alpha+x, \beta+1)$ (D) $G(\alpha, \beta+x)$
61.	Under absolute error loss function, the Bayes estimator of a parameter is the : (A) Mean of the posterior distribution (B) Median of the posterior distribution (C) Mode of the posterior distribution (D) Mean deviation about mean of the posterior distribution
62.	For the linear model $Y = X\beta + \epsilon$, where ϵ is a vector of non-observable random variables with
	$E(\epsilon)=0$, then the least square estimate of β is : (A) $(X'X)^{-1}Y$ (B) $(X'X)^{-1}X'Y$ (C) $(X'X)X'Y$ (D) $(X'X)X^{-1}Y$
63.	The hazard function of Wiebull distribution with shape parameter $\boldsymbol{\beta}$ is monotone increasing
	when: (A) $\beta > 1$ (B) $\beta < 1$ (C) $\beta < 0$ (D) $\beta > 0$
64.	Let T be a random variable with hazard function $h(t) = \frac{a}{t}$, $1 < t < \infty$, then the distribution
01.	function of T is :
	(A) $\frac{1}{t^a}$ (B) $1 - \frac{1}{t^a}$ (C) $1 - \frac{a}{t^a}$ (D) $\frac{a}{t^a}$
65.	If U_1, U_2, \dots, U_n be independent $U(0, 1)$ random variables then $-2\sum_{i=1}^n \log U_i$ follows
	a: (A) Chi-square distribtion with n d.f.
	(B) Gamma (2n, 1/2)
	(C) Gamma (n, 1) (D) Chi-square distribtion with 2n d.f.
66.	If p is the mean percent defective, then the upper control limit for the proportion defective
	is:
	(A) $p + 3\sqrt{\frac{p(1-p)}{n}}$ (B) $p + \sqrt{\frac{p(1-p)}{6n}}$
	(C) $p + \sqrt{\frac{p(1-p)}{3n}}$ (D) $p + 6\sqrt{\frac{p(1-p)}{n}}$
67.	Which distribution is used to find the probability of acceptance for an OC curve ?
	(A) Poisson (B) Normal
	(C) Binomial (D) Negative binomial
68.	Which source of variation can be estimated by ratio-to-trend method? (A) Cyclic (B) Trend (C) Irregular (D) Seasonal

09.	The second of th	ed by:	
	(A) Minimising the loss	(B)	Minimising the expected loss
	(A) Minimising the loss (C) Minimising the error	(D)	
		100	
70.	Let $\{X_n, n \ge 0\}$ be a Markov chain with	two st	ates 0 and 1. The one step transition probabilit
	matrix is given by (1/2 1/2) then t	the P(X	x = 1 X = 0 is:
	matrix is given by $\begin{pmatrix} 1/2 & 1/2 \\ 1/3 & 2/3 \end{pmatrix}$ then t	eric 2 (2)	$n+2-1/x_{H}-0/18$.
	(A) 7/12 (B) 5/12		(C) 7/10 (D) 11/10
	(11) 1/12 (D) 5/12		(C) 7/16 (D) 11/18
71	A good scientific research is character	danal be	
	(A) It requires clear articulation of a	ized b	
	(R) It follows enorification of a	goai	
	(B) It follows specific plan and proc	eaure	
	(C) It accepts certain critical assump	otions	
	(D) All the above		
72.	To understand human behavior and re	easons	over a long period of time one has to do:
	(A) Historical study	(B)	Quasi experimental study
	(C) Longitudinal study		Cross sectional study
73.	Teaching and learning arrangements, u	usually	in small groups, that are structured to produce
	active participation in learning is :		
	(A) Symposium (B) Seminar		(C) Conference (D) Workshop
74.	Directly useful application of scientific	princi	ples to production is called:
	(A) Knowledge (B) Science		(C) Technology (D) Research
			() () receiver
75.	Which of the following qualities a rese	archer	must have ?
	(A) Curious about the world	(B)	Logical and systematic
	(C) Intellectually honest	(D)	All the above
		1-7	
76.	The most effective teaching method that	at ensu	res maximum participation of students is :
	(A) Lecture method	(B)	Text book method
	(C) Discussion method	(D)	Demonstration method
		(-)	Demonstration method
77.	Which of the following is the most im-	nortant	indicator of quality of education in a school?
	(A) Infrastructural facilities	portur	medicator of quality of education in a school?
	(B) Qualification of teachers		
	(C) Discipline maintained in the scho	loc	
	(D) Students' achievements	101	
	(b) Statems deficerents		
78.	Which of the following is not a quality	of offe	ctive teacher 2
	(A) Less interaction in the class	or ene	ctive teacher ?
		Index -	
		ning	
		ints	
	(D) Motivate the students to take initi	lative	

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79.	Which of the following can be achieved through value education? (A) To inculcate of virtues (B) Develop job skills (C) Aware on physical fitness (D) Development of personality	
80.	Teaching method where purposeful activity that will remove a recognized difficulty or perplexity in situation through the process of reasoning is: (A) Inquiry method (B) Problem solving method (C) Reflective method (D) None of the above	
81.	of The Constitution of India directs the State to organize village panchayats and endow them with powers and authority to function as units of self-governments. (A) Article 39 (B) Article 40 (C) Article 42 (D) Article 46	
82.	Article of The Constitution of India imposes a duty upon citizens to uphold and protect the sovereignty, unity and integrity of India.	
	(A) 51-A(b) (B) 51-A(j) (C) 51-A(c) (D) 51-A(f)	
83.	All-India services can be created by The Parliament as empowered under of The Constitution of India.	
	(A) Article 312 (B) Article 312-A (C) Article 313 (D) Article 310	
84.	Freedom as to payment of taxes for promotion of any particular religion is guaranteed under Article of The Constitution of India.	
	(A) 26 (B) 27 (C) 28 (D) 29	
85.	In Sodan Singh v New Delhi Municipality AIR 1989 SC 1988, The Supreme Court was called upon to decide whether (A) Municipal authorities can impose restrictions on slaughter houses under Article 19(6) (B) Employees had a fundamental right to resort to strike without notice (C) Local authorities can levy a tax retrospectively (D) Hawkers had a fundamental right to carry on their trade on pavements meant for pedestrians	
86.	First appeal under Section 19(1) of The Right to Information Act 2005 has to be preferred within days from the expiry of period for receipt of information or from date of decision.	-
	(A) fifteen (B) thirty (C) forty-five (D) sixty	
87.	As per Section 4(1)(c) of The National Green Tribunal Act 2010, The Tribunal shall consist of a minimum of full-time expert members. (A) five (B) twenty (C) fifteen (D) ten	
88.	As per Section 22(1)(b) of The Transplantation of Human Organs Act 1994, no court shall take cognizance of an offence except on complaint filed by a person who has given notice of not less than days to the Appropriate Authority, of the alleged offence and his intention to make the complaint.	f.
	(A) thirty (B) sixty (C) ninety (D) fifteen	

89.	offence, and direct him not to return to the as may be specified in the order.	ment order against a person likely to commi concerned area for such period not exceeding
	(A) six months (B) one year	(C) two years (D) five years
90.	According to Rule 2(j) of The Noise Pollution 'Night Time' has been defined as the period (A) 10 pm and 6 am (B) (C) 10 pm and 7 am (D)	between
91.	- 10mm (20mm)	ana Sangham' ? Ayyankali Sahodaran Ayyappan
92.	The social organisation in Kerala, 'Samathwa (A) 1836 (B) 1851	Samajam' was established in the year: (C) 1855 (D) 1898
93.	TOTAL CONTRACTOR OF THE CONTRA	G. Sankara Kurup ? Nimisham Kunnimanikal
94.		T.R. Krishnaswami Iyer K.P. Vellon
95.	The Renaissance leader in Kerala, who got th (A) Mampuram Thangal (B) (C) Poikayil Yohannan (D)	
96.		operation provided to the flood victims Operation Rahat Operation Blossom Spring
97.	Which year has formally declared by UN Gerfarming'?	
98.		ontributory pension system in Kerala : Hazari Commission Bhattacharya Commission
99.		rporated Panchayati Raj System in our 74 th Amendment 44 th Amendment
100.		the national and state level in India : Planning Commission Home Ministry
	- o O o	

LOTTEST.

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